

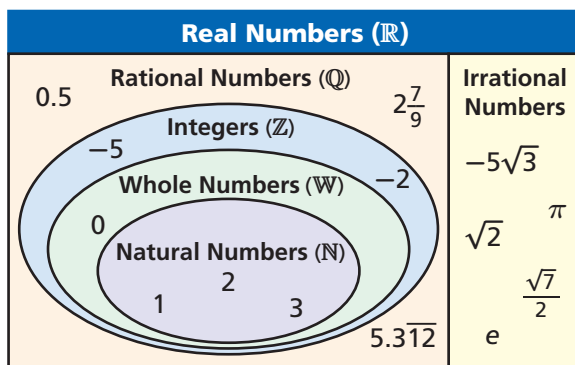
# Section Overview

## Sets of Numbers

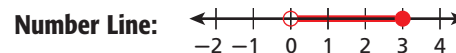
Lesson 1-1

**Why?** Understanding subsets of real numbers and ways to express them is critical in the study of algebra.

### Subsets of Real Numbers



### Sets of Numbers



**Words:** real numbers greater than 0 and less than or equal to 3

**Interval Notation:** (0, 3]

**Set-Builder Notation:** {x | 0 < x ≤ 3}

## Properties of Real Numbers

Lessons 1-2, 1-3

**Why?** Knowing the properties of real numbers helps students simplify expressions and calculate more quickly.

Property	Example
Additive Identity Property	$5 + 0 = 5$
Multiplicative Identity Property	$5 \cdot 1 = 5$
Additive Inverse Property	$3 + (-3) = 0$
Multiplicative Inverse Property	$\frac{3}{5} \cdot \frac{5}{3} = 1$
Distributive Property	$3(4 + 5) = 3(4) + 3(5)$

Property	Example
Closure Property	$7.4 + 3.2 = 10.6 \in \mathbb{R}$
Commutative Property	$3 + 2 = 2 + 3$
Associative Property	$2(3 \cdot 4) = (2 \cdot 3)4$
Product Property of Square Roots	$\sqrt{2} \cdot \sqrt{8} = \sqrt{16} = 4$
Quotient Property of Square Roots	$\sqrt{\frac{4}{9}} = \frac{\sqrt{4}}{\sqrt{9}} = \frac{2}{3}$

## Simplifying Algebraic Expressions

Lessons 1-4, 1-5

**Why?** Simplifying and evaluating expressions are essential algebra skills.

### Evaluating and Simplifying Expressions

**Evaluate**  $x^2 + 2x$  for  $x = 3$ .

$$\begin{aligned} x^2 + 2x \\ (3)^2 + 2(3) \\ 15 \end{aligned}$$

**Simplify** by using properties of exponents.

$$\left(\frac{ab^4}{b^7}\right)^2 = \frac{a^2b^8}{b^{14}} = \frac{a^2}{b^6}$$

**Simplify** by combining like terms.

$$3x^2 + 2x^2 = 5x^2$$

Scientific notation: **Simplify**  $\frac{2.3 \times 10^{-6}}{4.6 \times 10^{-2}}$ .

$$\frac{2.3 \times 10^{-6}}{4.6 \times 10^{-2}} = 0.5 \times 10^{-4} = 5.0 \times 10^{-5}$$

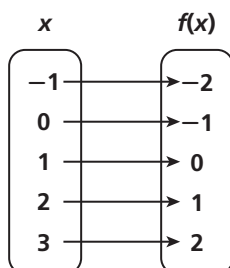
# Section Overview

## Functions

Lessons 1-6, 1-7

**Why?** Functions describe the relationship between a set of input values and a set of output values. They can be represented in several ways.

### Mapping Diagram



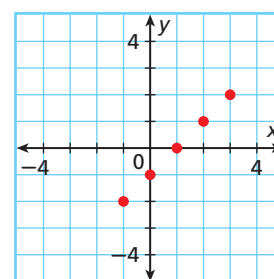
### Table

$x$	-1	0	1	2	3
$f(x)$	-2	-1	0	1	2

### Function Notation

$$f(x) = x - 1$$

### Graph



### Ordered Pairs

$(-1, -2)$ ,  $(0, -1)$ ,  $(1, 0)$ ,  $(2, 1)$ ,  $(3, 2)$

**Functions** associate each element in a **domain** with exactly one element in a **range**.

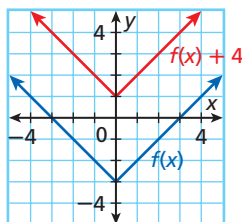
## Transformations and Parent Functions

Lessons 1-8, 1-9

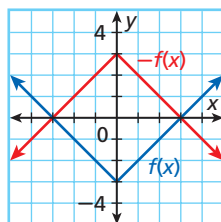
**Why?** Identifying parent functions and their transformations helps students classify and make generalizations about functions.

The graphs of points or functions can be **transformed** in several ways.

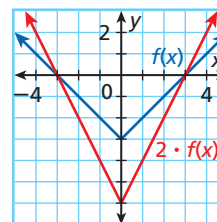
### Translation



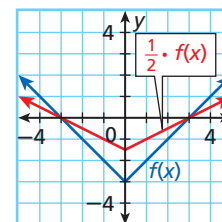
### Reflection



### Stretch



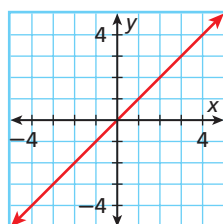
### Compression



Functions can be grouped based on their **parent functions**. Some parent functions follow:

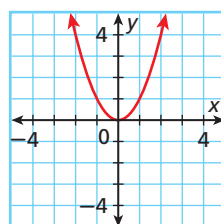
### Linear Function

$$f(x) = x$$



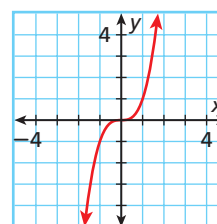
### Quadratic Function

$$f(x) = x^2$$



### Cubic Function

$$f(x) = x^3$$



### Square-Root Function

$$f(x) = \sqrt{x}$$

